

Giant magnetoresistance in magnetic metallic multilayers

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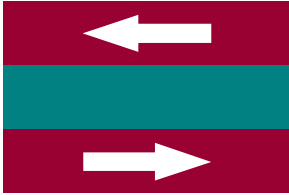
- Funded by Hewlett-Packard Laboratories, Palo Alto, CA

Synopsis

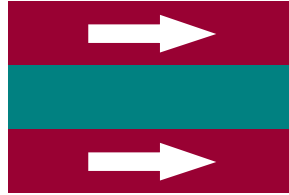
- Introduction
- Physical origin
- The theoretical model
- Co/Cu and Fe/Cr multilayers
- Application to experiments:
 - Thermoelectric power
 - Thickness-dependent conductance
 - Interface resistance
- Conclusions

Giant magnetoresistance (GMR)

Antiparallel
magnetizations



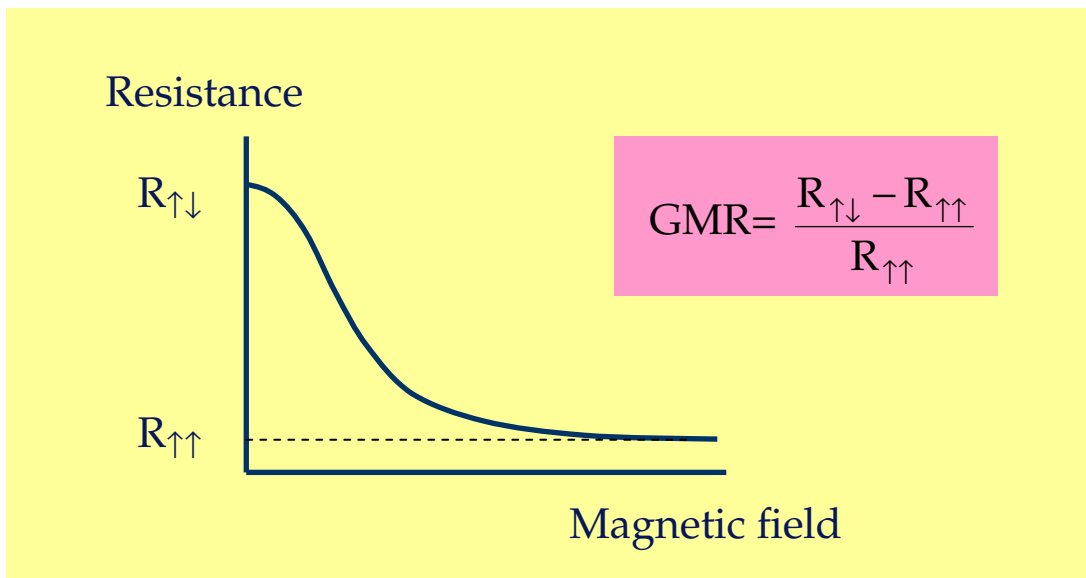
Parallel
magnetizations



Ferromagnet (Co)

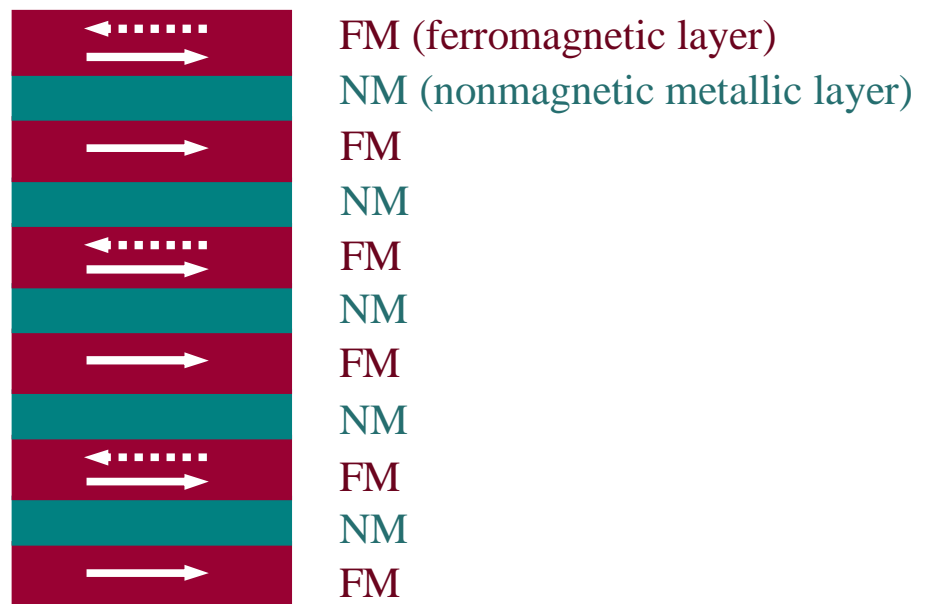
Nonmagnetic metal (Cu)

Ferromagnet (Co)



GMR structures

Magnetic multilayer



- ♦ antiferromagnetic exchange coupling
- ♦ highest values of GMR, in Co/Cu and Fe/Cr multilayers ~ 100%

Pseudo spin valve



Spin valve

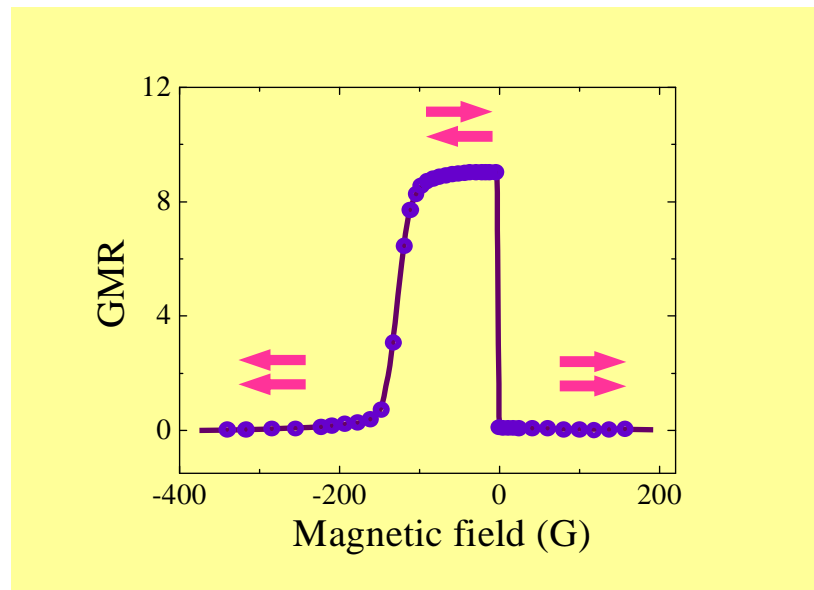


- ♦ different coercivities
- ♦ exchange biasing

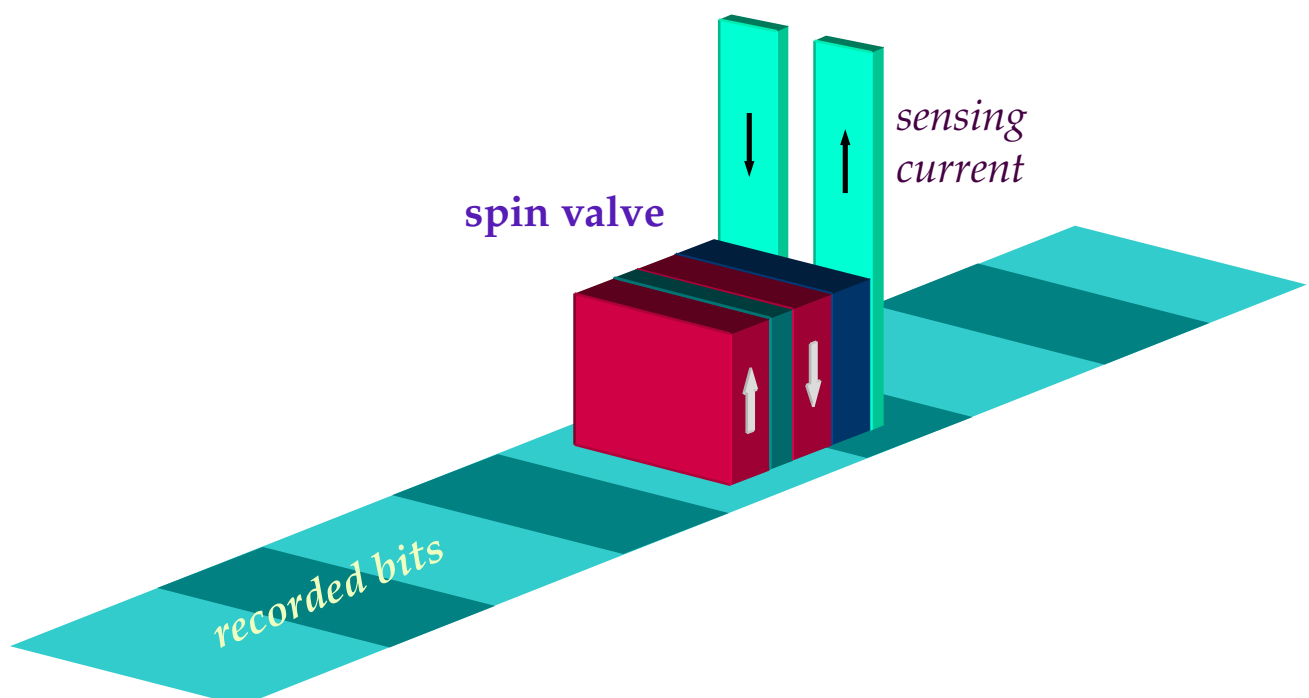
Granular material



Spin valve



Magnetic field sensor



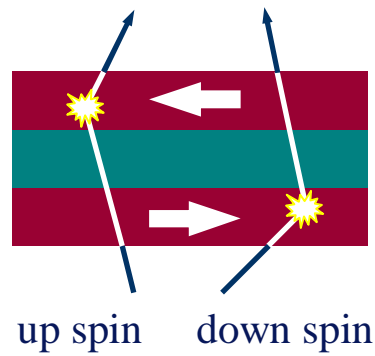
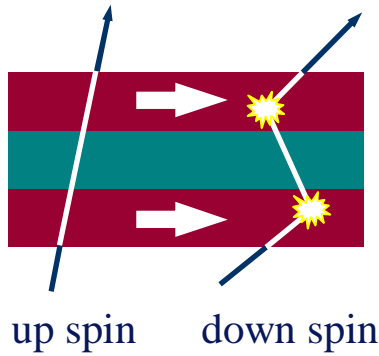
Simple model for GMR

Two-current model:

$$\rho_{\text{tot}} = \begin{array}{c} \rho_{\uparrow} \text{ - up spins} \\ \text{---} \\ \rho_{\downarrow} \text{ - down spins} \end{array}$$

In ferromagnets

$$\rho_{\uparrow} \neq \rho_{\downarrow}$$



$$R_{\uparrow\uparrow} = \begin{array}{c} \rho_{\uparrow} \quad \rho_{\uparrow} \\ \text{---} \quad \text{---} \\ \rho_{\downarrow} \quad \rho_{\downarrow} \end{array}$$

$$R_{\uparrow\downarrow} = \begin{array}{c} \rho_{\uparrow} \quad \rho_{\downarrow} \\ \text{---} \quad \text{---} \\ \rho_{\downarrow} \quad \rho_{\uparrow} \end{array}$$

$$\text{GMR} = \frac{(\rho_{\downarrow} - \rho_{\uparrow})^2}{4\rho_{\downarrow}\rho_{\uparrow}} = \frac{(\alpha - 1)^2}{4\alpha}$$

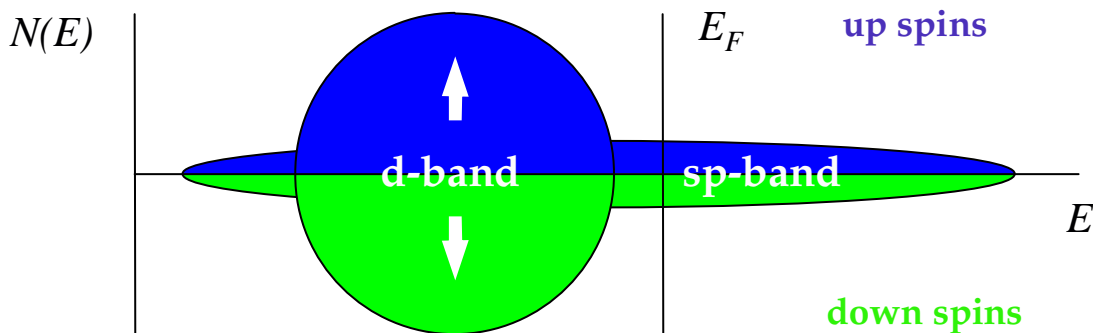
$$\alpha = \frac{\rho_{\downarrow}}{\rho_{\uparrow}} \text{ is spin asymmetry parameter}$$

Electrical conduction in metals

Drude formula
$$\sigma = \frac{ne^2\tau}{m} = \frac{e^2}{\pi\hbar} \frac{k_F^2}{3\pi} l_{mfp}$$

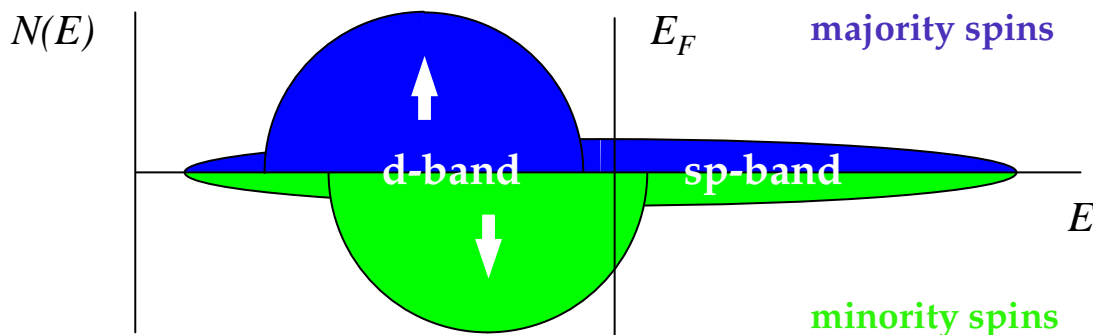
Mean free path
$$l_{mfp} = v_F \tau = v_F \frac{\hbar}{2\pi} \frac{1}{V_{scat}^2 N_F}$$

Nonmagnetic metal (Cu)



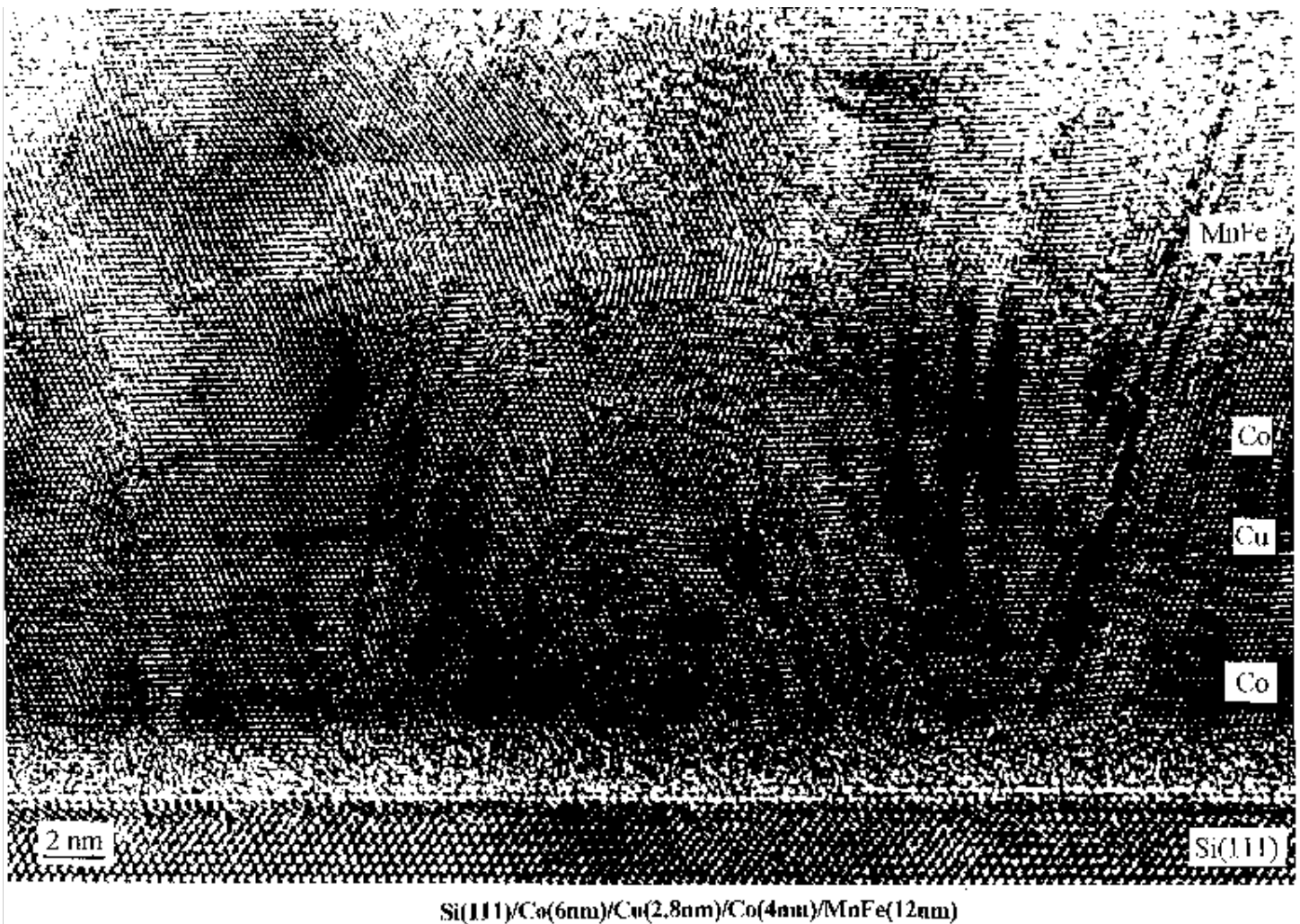
$$\sigma_{\uparrow} = \sigma_{\downarrow}$$

Magnetic metal (Co)



$$\sigma_{\uparrow} \gg \sigma_{\downarrow}$$

High resolution electron micrograph of Co/Cu spin valve



P.Baile-Guillemaud, A.K.Petford-Long

The theoretical model for GMR

Phys.Rev.B 54, 15314 (1996)

- ◆ Realistic electronic band structure
- ◆ Scattering is due to structural defects within a multilayer

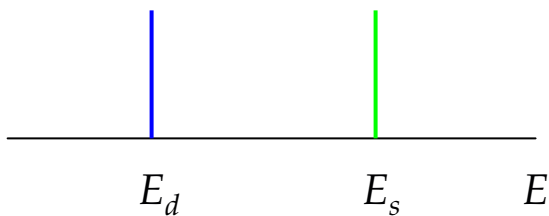
Kubo-Greenwood formula:

$$\sigma = \frac{\pi \hbar e^2}{\Omega} \text{Tr} \langle \mathbf{v} \delta(E_F - H) \mathbf{v} \delta(E_F - H) \rangle$$

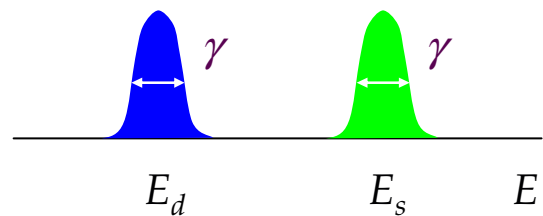
$$H = H_0 + V_{\text{scat}}$$

V_{scat} - scattering potential
effecting on-site atomic energy levels randomly

Perfect lattice:

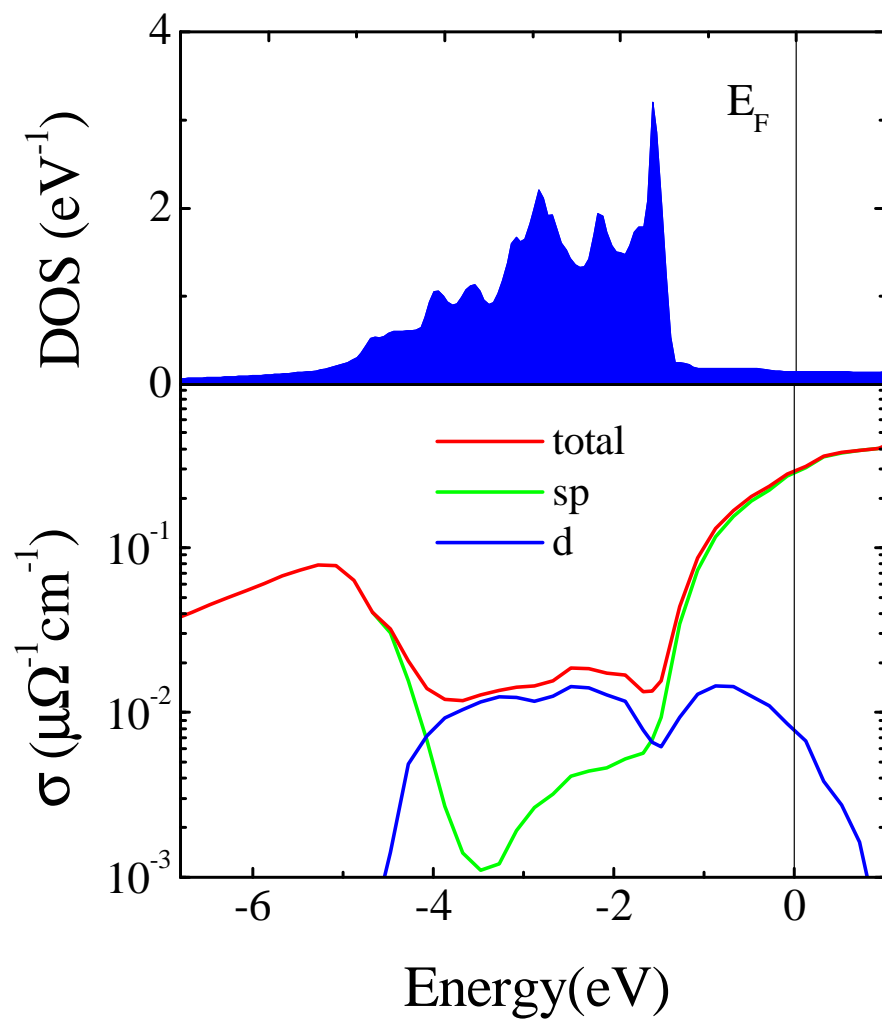


Defective lattice:

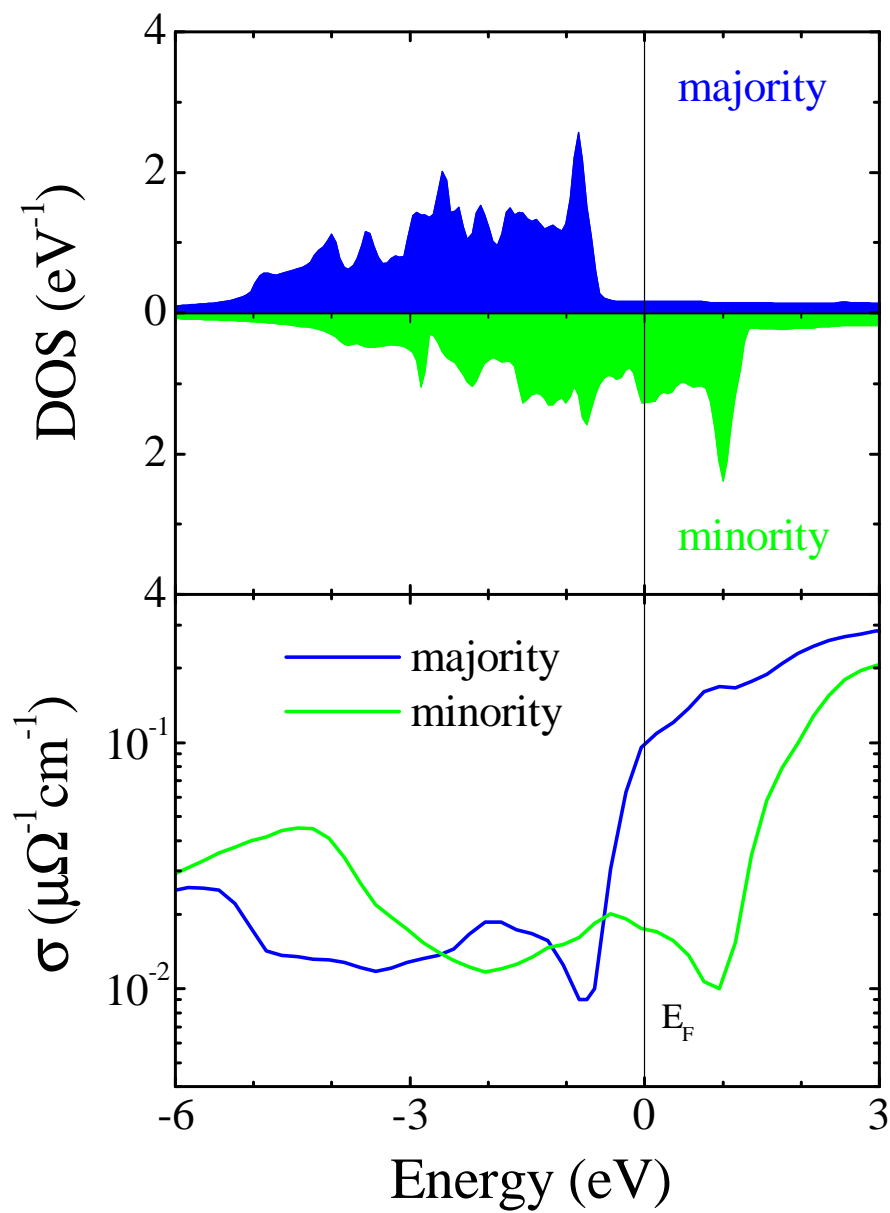


- γ is assumed to be spin-independent

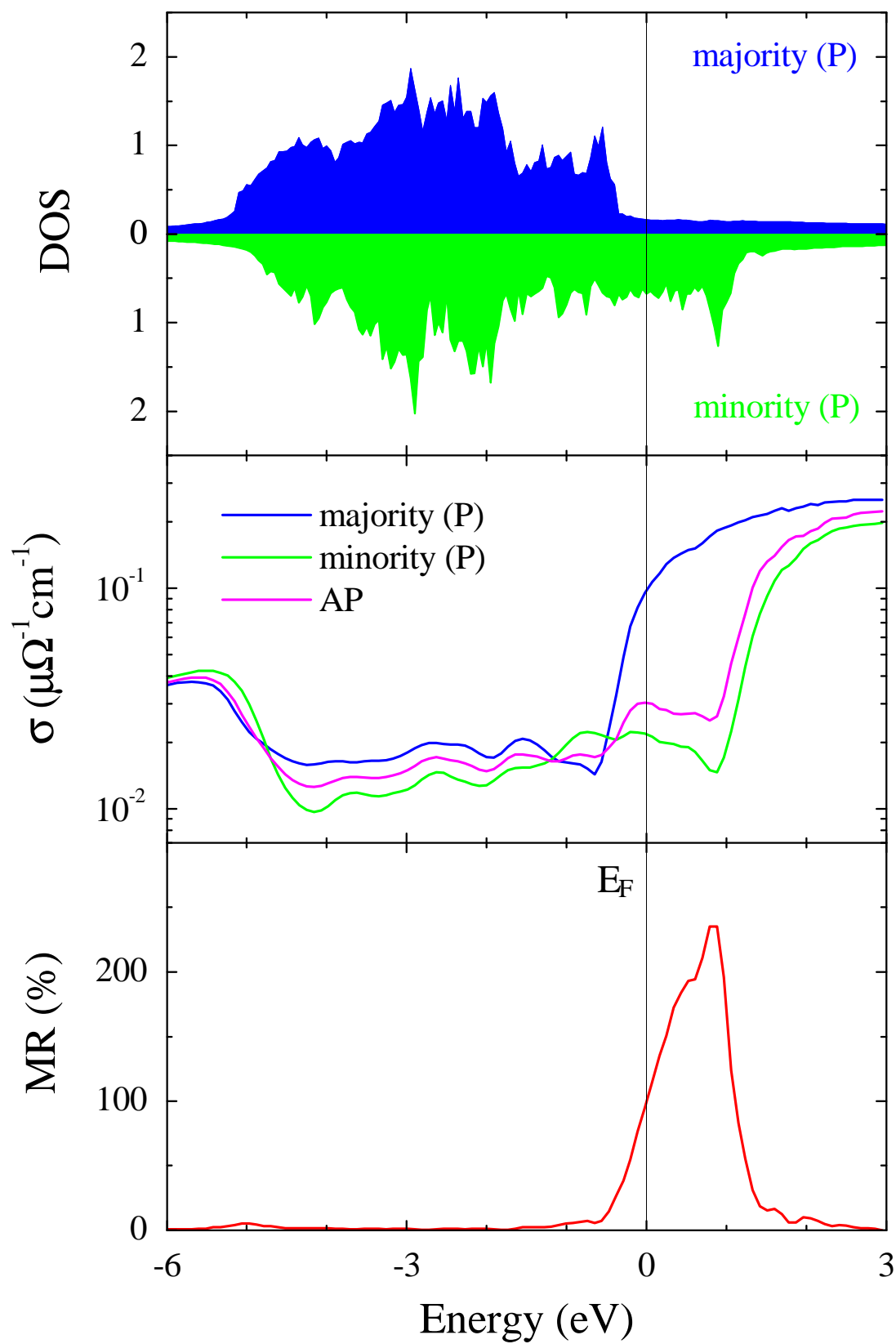
Conductivity of bulk Cu



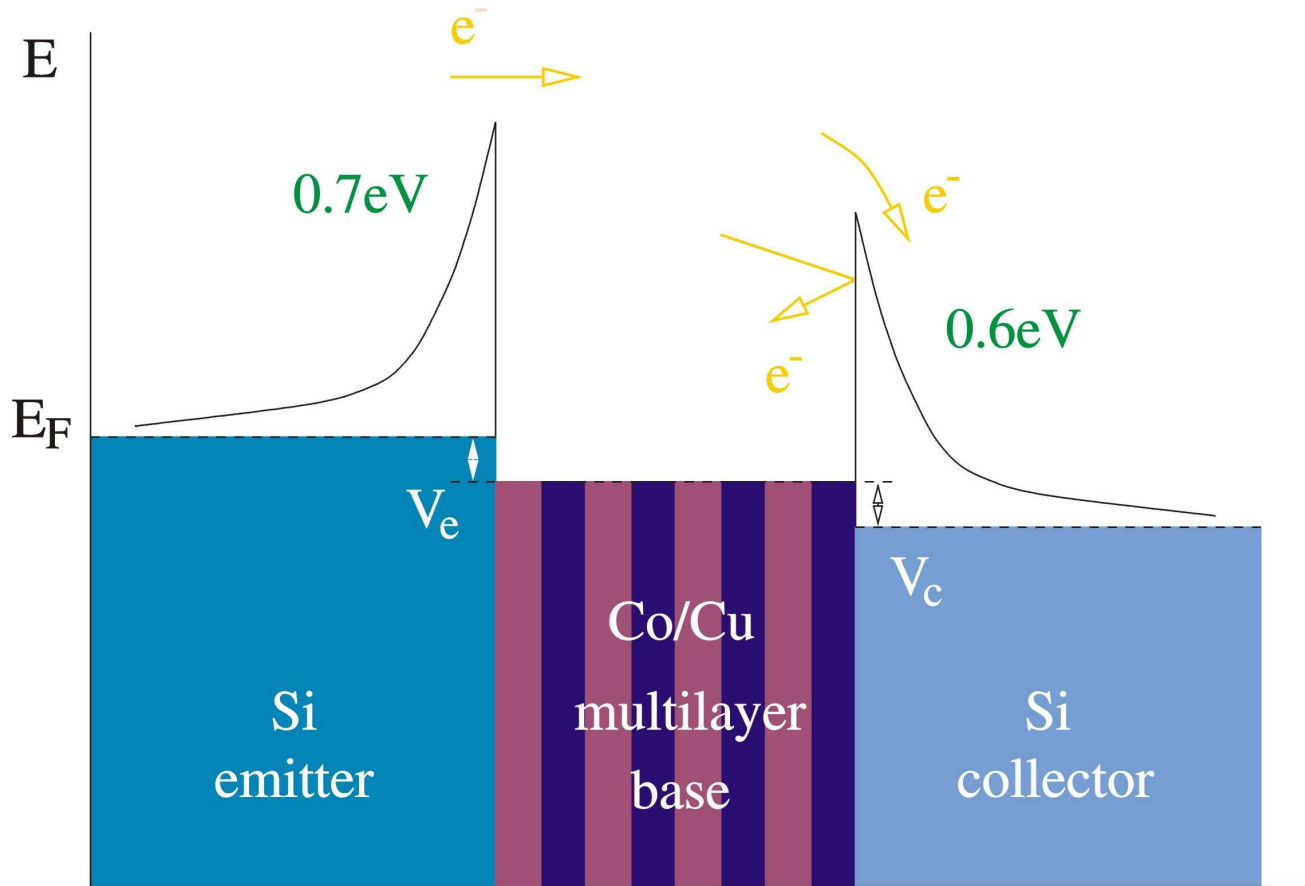
Conductivity of bulk Co



Co/Cu multilayer

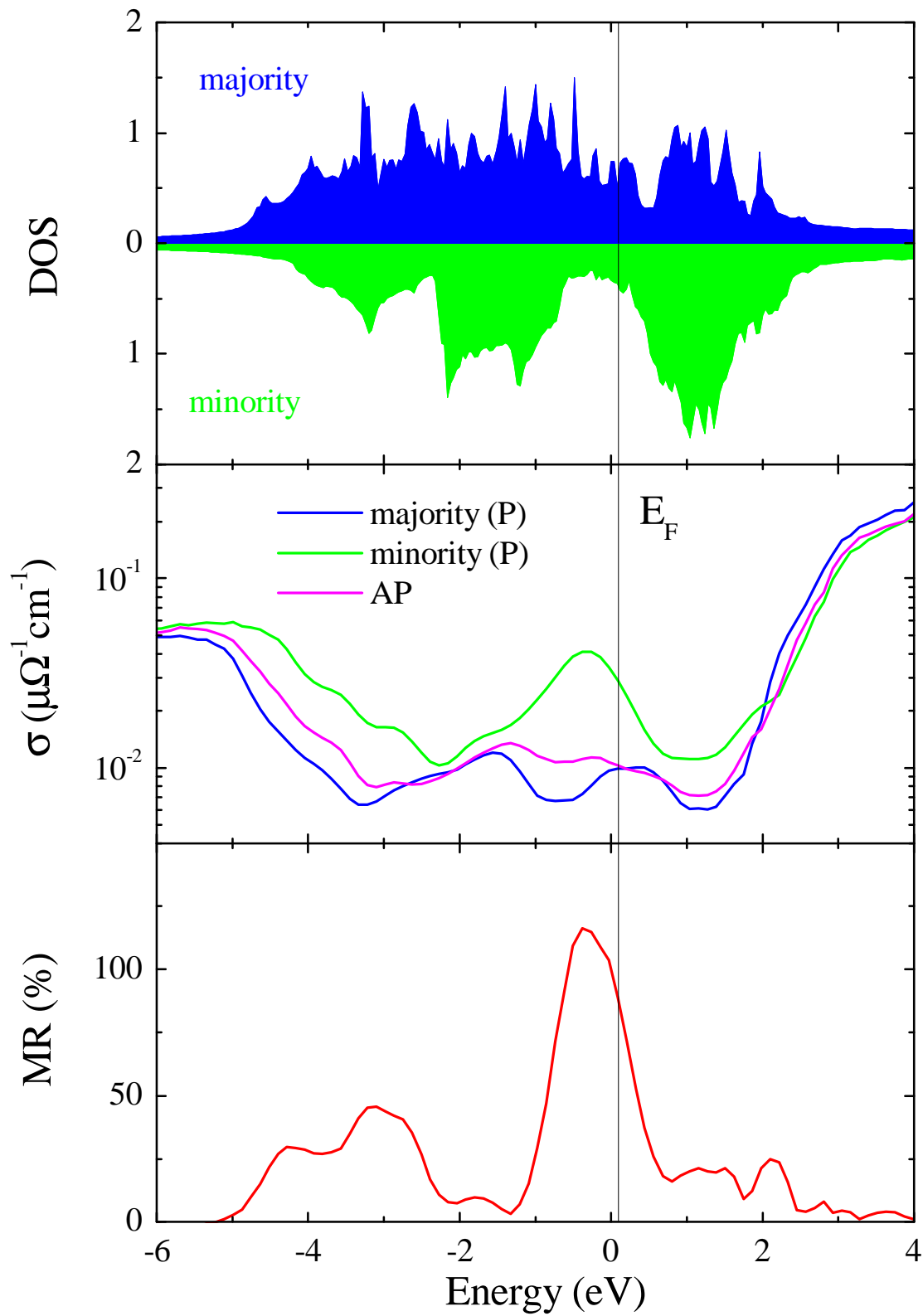


Spin-valve transistor



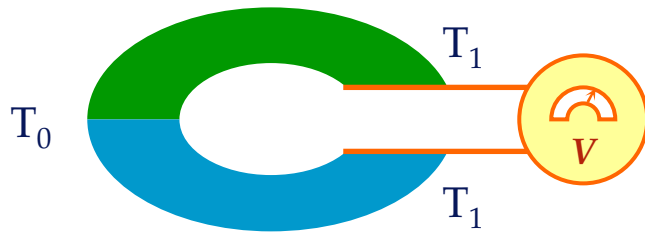
D.J.Monsma et al, Phys.Rev.Lett. 74, 5260 (1995)

Fe/Cr multilayer



Thermoelectric power (TEP)

PRB 59, 8371 (1999)



Experiments:

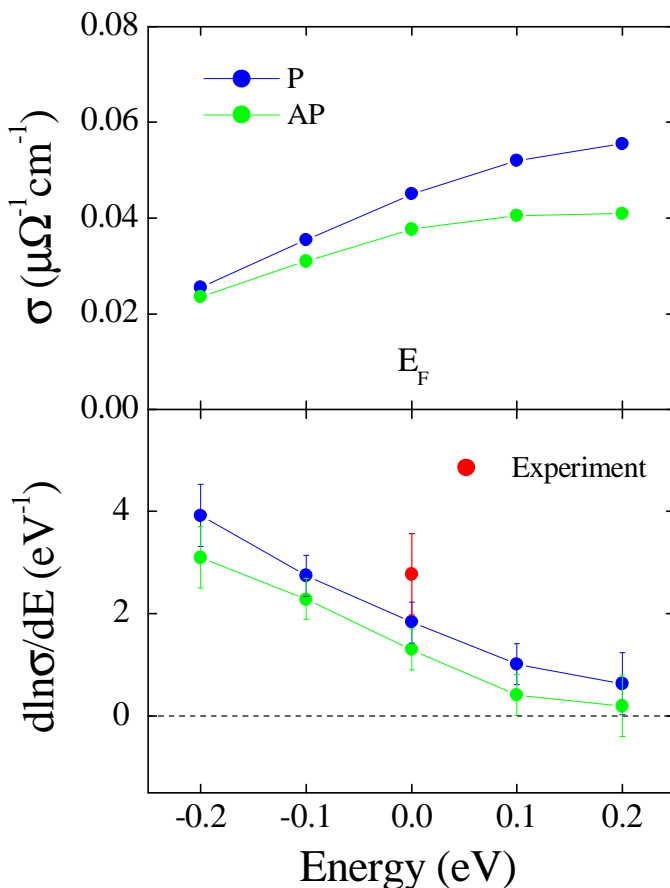
J. Shi, *Motorola Research Labs*
M. Salamon, *University of Illinois*

- Experimentally TEP and magneto-TEP is **negative** for Co/Cu multilayers, but **positive** for Fe/Cr multilayers

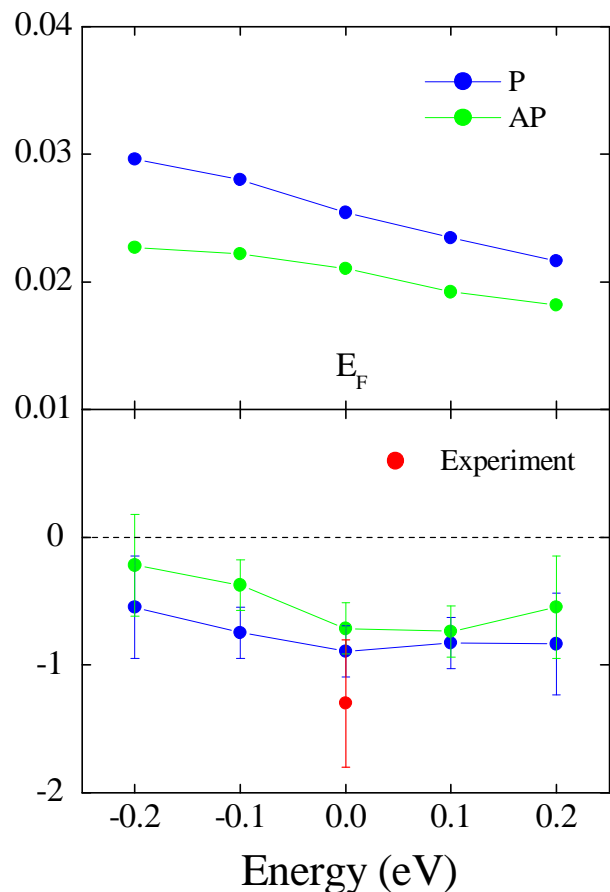
Mott formula:

$$S = -\frac{\pi^2 k^2 T}{3e} \left. \frac{\partial \ln \sigma}{\partial E} \right|_{E_F}$$

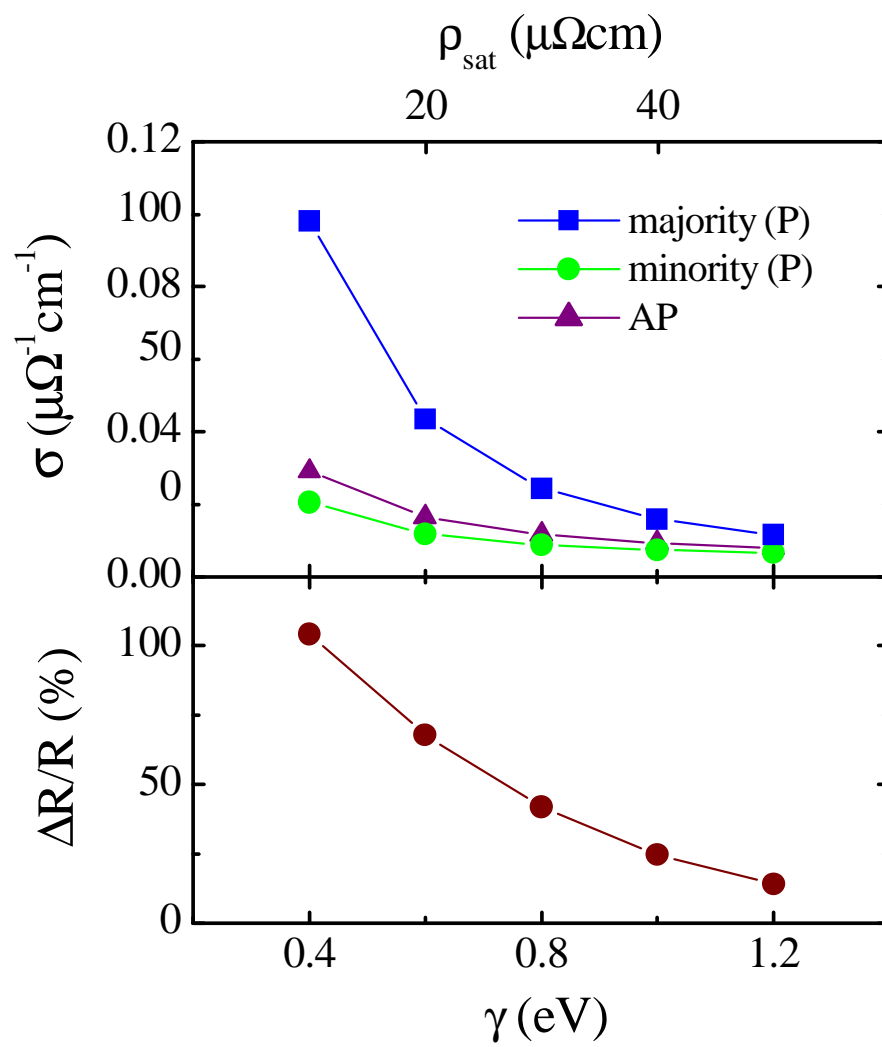
Co/Cu multilayer



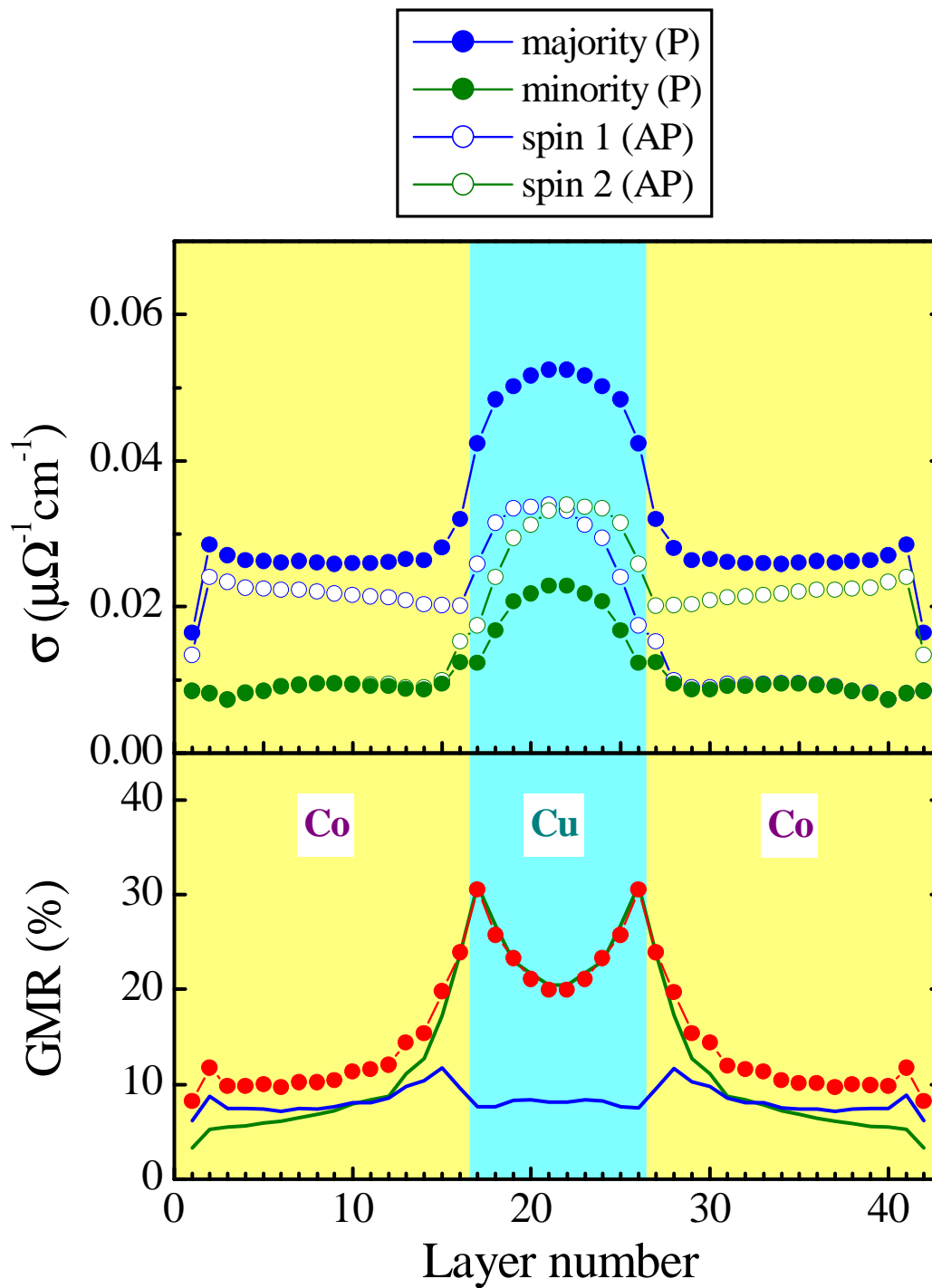
Fe/Cr multilayer



Effect of disorder



Layer-dependent conductance



- bulk disorder
- bulk & outer-boundary disorder
- bulk & interface disorder

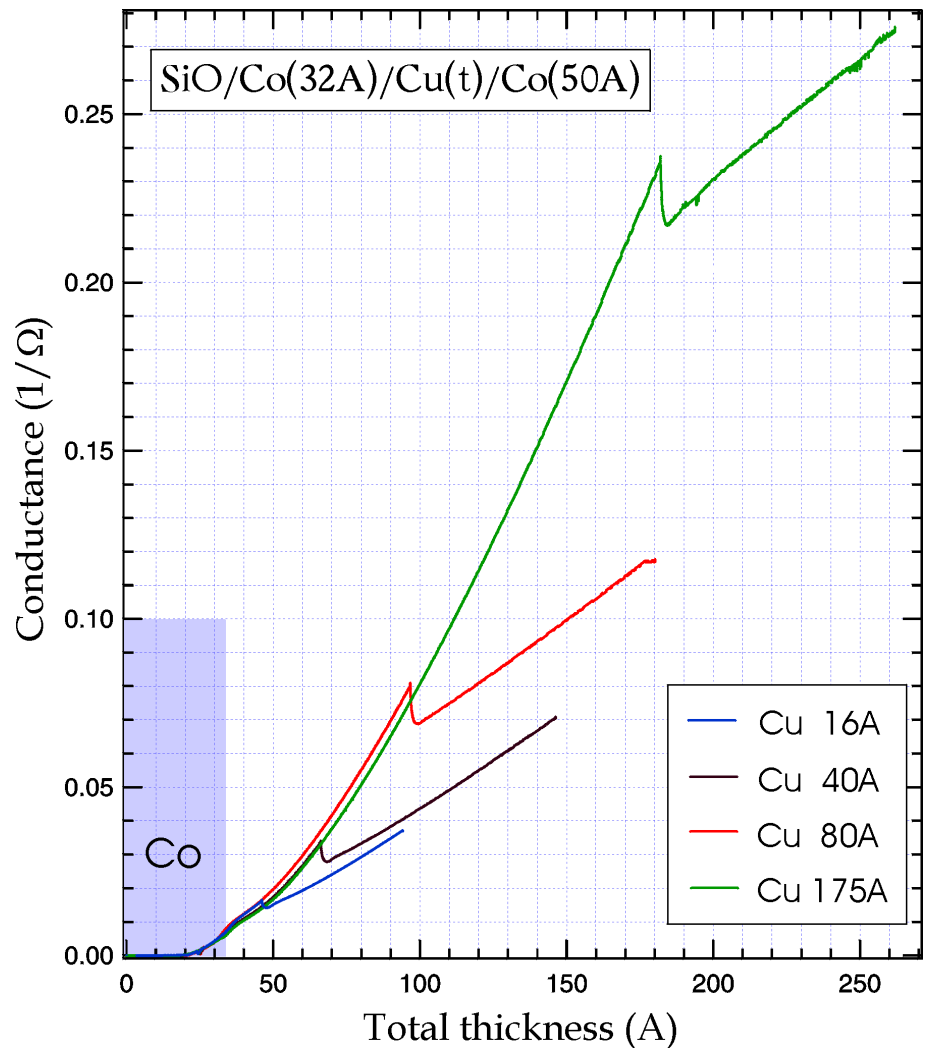
Thickness-dependent conductance

PRB 61, 1330 (2000)

Experiments:

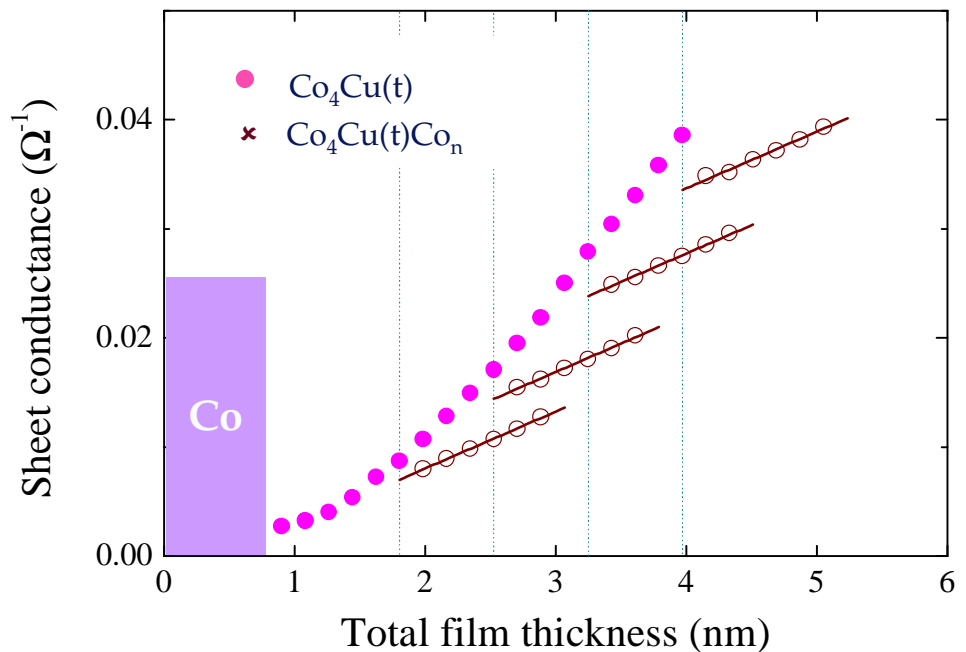
W.Bailey and S.Wang,
Stanford University

Conductance is
measured *in situ*
during ion-beam
deposition



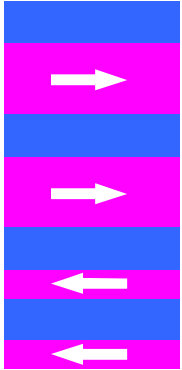
Theory:

Conductance drop
results from strong
interface scattering,
as a consequence of
high density of
empty Co *d* states
at Cu boundaries

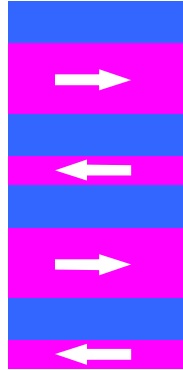


Failure of resistor model for CPP GMR

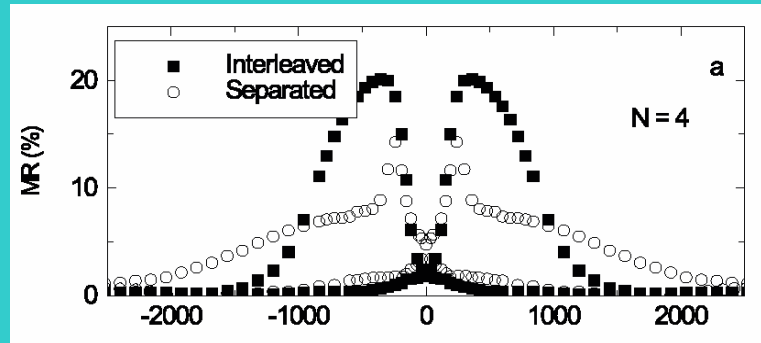
Experiments: D. Bozec *et al*, University of Leeds



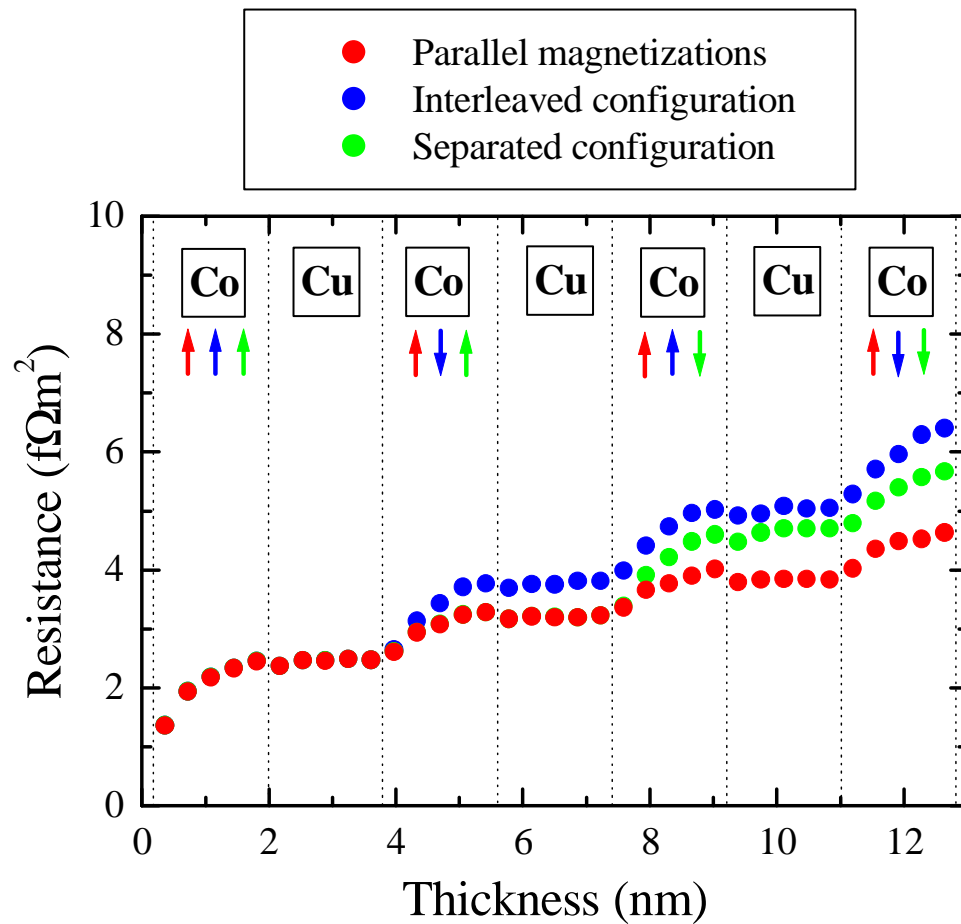
Separated configuration



Interleaved configuration



Theory:

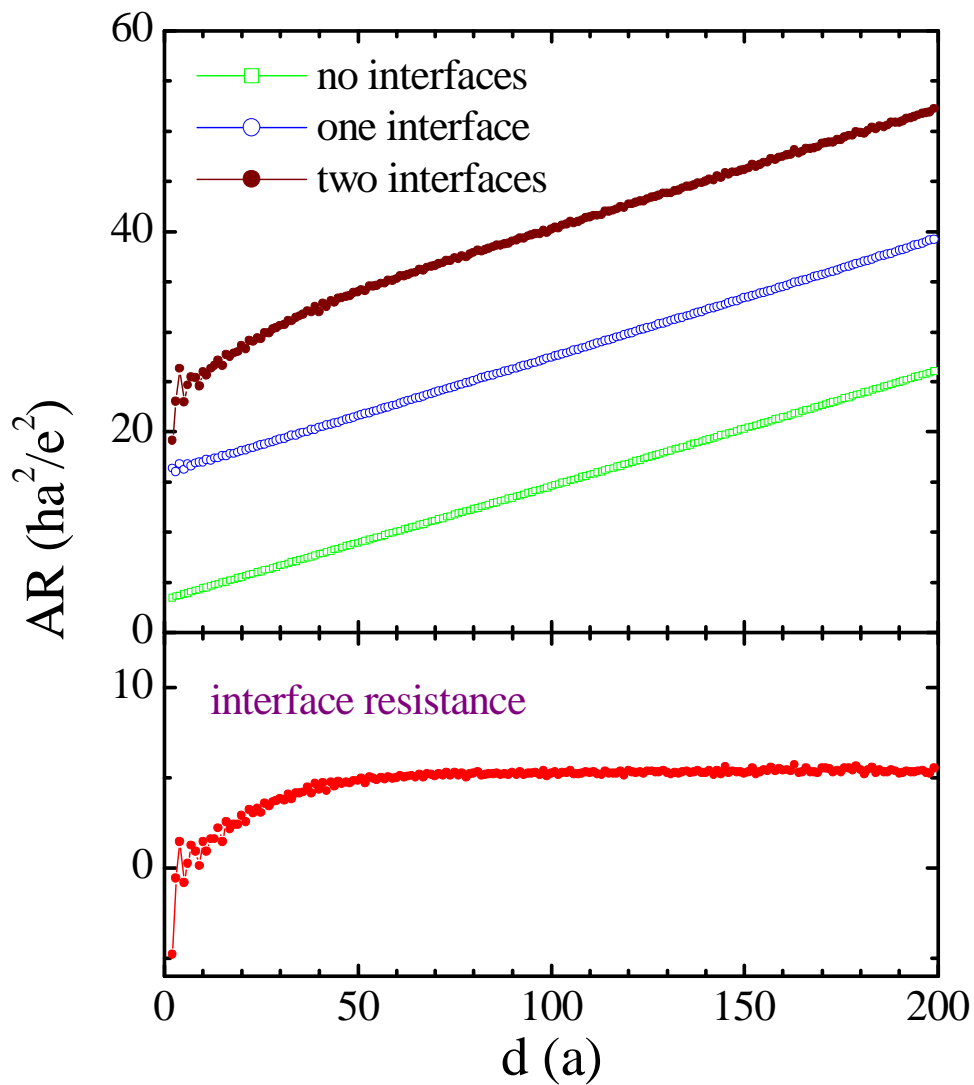


PRL 85,1314 (2000)

Layer-thickness-dependent interface resistance

PRB 61, 506 (2000)

- ◆ single-band tight-binding model
- ◆ Kubo formula within Anderson model of disorder
- ◆ two different metals, characterized by different on-site atomic energies



Conclusions

The model for giant magnetoresistance

predicts

- Decreasing GMR with disorder
- Enhancement of GMR in Co/Cu multilayers for hot electrons; no such enhancement for Fe/Cr multilayers
- Sizeable contribution from the spacer layer in spin valves
- Importance of layer-thickness-dependent interface resistance for CPP GMR

and explains

- Thermoelectric power in Co/Cu and Fe/Cr multilayers
- Conductance of in-situ grown Co/Cu spin valves
- Failure of the resistor model for CPP GMR